

BREAKFAST OF CHAMPIONS AND THE BIRD!

How to do it!

1) Estimate the following, using the Washington Data Book (2003 figures).

- | | |
|------------------------------------|------------------------|
| a) Total population in OLT area is | <u>87,840</u> people |
| b) No. of kids in OLT is | <u>17,568</u> children |
| c) No. adults in OLT is | <u>70,272</u> adults |

1a – add up Lacey + Oly + Tumwater numbers, page 242 Data Book

1b- No. of kids is not given. “Kids” in this context means young enough to eat less. Demographers usually isolate ages 0-15 for this category. How to estimate it? P. 243 show 42,543 people *in the county* are in this age group, out of 214,800 total. It is not unreasonable to assume that the proportion of kids in the OLT population is the same as that of the whole county. $42543/214800 = 0.20$ [rounded off]. Thus assume $0.20 * 87840$ is the number of kids in OLT. That is, 17,568.

1c – If 17568 of 87840 people are children, the rest ($87840 - 17568$) are adults.

Use these data in the following:

- | | |
|---|-----------------------------|
| No. gm protein needed per kid per day | = <u>40 gm/kid*day</u> |
| No. gm protein needed per adult per day | = <u>80 gm/adult*day</u> |
| No. Calories needed per kid per day | = <u>1000 Cal/kid*day</u> |
| No. Calories needed per adult per day | = <u>2000 Cal/adult*day</u> |

2) Calculate the following for the whole OLT population.

- | | |
|--|---|
| a) No. Calories needed per day | = <u>$19.32 * 10^7$</u> Cal/day |
| b) No. Calories needed per year | = <u>$70.52 * 10^9$</u> Cal/year |
| c) No. grams protein needed per day | = <u>$7.72 * 10^6$</u> gm/day |
| d) No. grams protein needed per year | = <u>$2.82 * 10^9$</u> gm/yr |
| e) No. metric tons protein needed per year | = <u>$2.82 * 10^3$</u> tonnes/yr |

3a – box shows contents = 12 ounces; $12 \text{ oz} * (1 \text{ lb}/16 \text{ oz}) = 0.75 \text{ lb}$

3b – box shows 110 Cal per serving, contains 11 servings;
 $11 \text{ serving}/\text{box} * 110 \text{ Cal}/\text{serving} = 1210 \text{ Calories}/\text{box}$

3c – line 2a shows $19.32 * 10^7 \text{ Cal}/\text{day}$ eaten; divide by line 3b to get $(19.32 * 10^7 \text{ Cal}/\text{day})/(1210 \text{ Cal}/\text{box}) = (0.01597 * 10^7 \text{ box}/\text{day}) = 1.60 * 10^5 \text{ boxes}/\text{day}$

3d – line 3c x 365 days/yr or $1.60 * 10^5 \text{ boxes}/\text{day} * 3.65 * 10^2 \text{ day}/\text{yr}$
 $= 5.84 * 10^7 \text{ boxes}/\text{year}$

3e – measurement gives H = 10 inches, W = 8 inches, D = 2 inches. [estimate to nearest inch to save yourself calculation grief ...] Convert all to feet. $10/12 \text{ ft} = 0.83 \text{ ft}$, $8/12 \text{ ft} = 0.67 \text{ ft}$, $2/12 \text{ ft} = 0.17 \text{ ft}$. Volume is $0.83 * 0.67 * 0.17 \text{ ft}^3 = 0.09 \text{ ft}^3$.

4) Now suppose that the whole OLT population obtained ALL of its protein from chickens ...

a) How many grams of meat are in a chicken?

$$(5 \text{ lb}/\text{chicken}) * 1000 \text{ gm}/2.2 \text{ lb} = \underline{2,300} \text{ gm}/\text{chicken}$$

b) How many chickens per day must OLT eat? $\underline{3.36 * 10^3}$ chickens/day

c) ... pounds of chicken per year? $\underline{6.13 * 10^6}$ pounds/yr

d) no. of chickens per year? $\underline{1.23 * 10^6}$ chickens/yr

e) What is the volume of a chicken? $\underline{0.1}$ cubic feet/chicken

4a – estimate size of the edible part of a chicken from personal experience -- say, 5 lb/chicken. $(5 \text{ lb}/\text{chicken}) * (1000 \text{ gm}/2.2 \text{ lb}) = 2272.727 \text{ gm}$
call it 2300 gm/chicken.

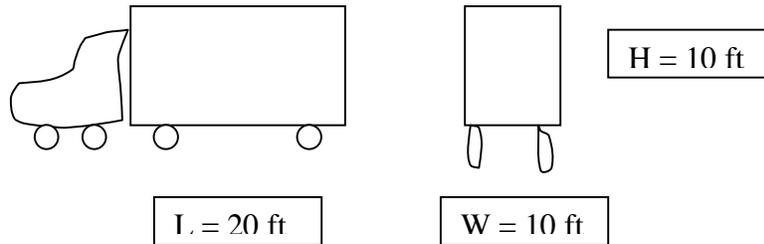
4b – from line 2c, OLT needs $7.72 * 10^6 \text{ gm}/\text{day}$ of protein. Assume all of the chicken meat is protein. $(7.72 * 10^6 \text{ gm}/\text{day})/2300 \text{ gm}/\text{chicken}) = 3.36 * 10^3 \text{ hens}/\text{day}$
 $= 3,360 \text{ chickens}/\text{day}$... awesome ...

4c – $(3.36 * 10^3 \text{ chickens}/\text{day}) * (5 \text{ lb}/\text{chicken}) * (3.65 * 10^2 \text{ days}/\text{yr}) = 61.32 * 10^5 \text{ lb}/\text{yr}$
 $= 6.13 * 10^6 \text{ lb}/\text{yr}$ [that's about 3000 tons/yr]

4d – $(3.36 * 10^3 \text{ chickens}/\text{day}) * (365 \text{ days}/\text{yr}) = 12.26 * 10^5$
 $= 1.23 * 10^6 \text{ chickens}/\text{yr}$. That is, about a million per year.

4e – estimate by your guess of size of one chicken and an imaginary box 1 ft x 1 ft x 1 ft ... My guess is that 10 5-lb chickens would fill a 1- cubic foot box. Thus each chicken occupies 1/10 of a cubic foot.

5) In the space below, draw a big rig truck (side view and back view) and show its dimensions.



- a) What's the volume of the truck? $\frac{20 \text{ ft}}{L} \times \frac{10 \text{ ft}}{H} \times \frac{10 \text{ ft}}{W} = 2000$ cubic feet
- b) How many deliveries of Wheaties are needed per day to feed OLT? 7.2 trucks/day
- c) How many deliveries of chickens are needed per day to feed OLT? 0.17 trucks/day
- d) What is the total number of deliveries needed per day to feed OLT? 7.4 trucks/day

5a – estimate size of a big truck from your experience. Volume is L x W x H or 20 ft x 10 ft x 10 ft = 2000 ft³. [notice I estimated easy numbers to multiply]

5b – from line 3e, 1 Wheaties box occupies 0.09 ft³/box. OLT requires 1.60×10^5 boxes/day as in line 3c. The number of cubic feet needed per day is given by $(1.60 \times 10^5 \text{ boxes/day}) \times (0.09 \text{ ft}^3/\text{box}) = 0.144 \times 10^5 = 1.44 \times 10^4 \text{ ft}^3/\text{day}$. If each truck carries 2000 ft³, the number of truckloads per day is given by $(1.44 \times 10^4 \text{ ft}^3/\text{day}) / (2000 \text{ ft}^3/\text{truck}) = 7.2 \text{ trucks/day}$. [= 72 trucks every 10 days].

5c – From line 4c, OLT needs 3.36×10^3 chickens/day. From line 4e, each chicken takes up 0.1 ft³. OLT needs $(3.36 \times 10^3 \text{ chickens/day}) \times 0.1 \text{ ft}^3/\text{chicken} = 3.36 \times 10^2 \text{ ft}^3$ of chicken per day [= 336 ft³]. $(336 \text{ ft}^3) / 2000 \text{ ft}^3/\text{truck} = 0.17 \text{ trucks/day}$. That is about one truck every 6 days.

5d – total is $(7.2 + 0.17) =$ about 7.4 trucks/day. [= 74 trucks every 10 days].

6) (for visualization.) If the trucks all enter OLT from the north via southbound I-5 and deliver their loads uniformly over the 24 hour day, how often would you see one enter the OLT area?

= one truck every 3 hours & 15 minutes

$(24 \text{ hr/day}) / (7.4 \text{ trucks/day}) = 3.25 \text{ hours per truck}$. That is, every 3 and a quarter hours you would see a food truck enter town. That is one truck about every 3 hours & 15 minutes.

7) How many hectares are needed to raise the amount of Wheaties shown in line 3d above? [use this figure; wheat yield in the US is about 2200 kilograms wheat per hectare of farmland. This is for *good farmland*.]

a) Hectares needed to grow the OLT annual Calorie supply = $9.05 * 10^3$ hectares

b) Amount of land needed to grow a typical person's Calorie supply = 0.10 ha/person

7a – from line 3d, OLT needs $5.84 * 10^7$ boxes/year. Each box contains 0.75 lb [line 3a]. calculate $(5.84 * 10^7 \text{ boxes/year}) * (0.75 \text{ lb/box}) / (2.2 \text{ lb/kg})$ to get $1.99 * 10^7$ kg needed per year. $(1.99 * 10^7 \text{ kg/yr}) / (2200 \text{ kg/ha}) = 9.05 * 10^3 \text{ ha}$. At 1 ha = 2.47 acres, that is about $9.05 * 10^3 \text{ ha} * 2.47 \text{ acre/ha} = 22,354$ acres.

7b – if we were doing this in detail, we would figure that each child requires only half as much land as each adult. We would then do somewhat tricky math to separate out what an adult requires, and what a child requires. That's too much work for a first pass estimate. Assume the whole 87,840 people in OLT divide up the 9,050 hectares equally. $9.05 * 10^3 \text{ ha} / 8.78 * 10^4 \text{ people} = 0.10 \text{ ha/person}$.

8) How many hectares are needed to raise the grain eaten by the number of chickens required for OLT's annual protein supply (line 4d above)? Assume as follows ...

Suppose each chicken ate twice its weight in wheat and took one year to mature.

a) hectares needed to grow the annual chicken feed = $2.53 * 10^3$ hectares
or is it $5.06 * 10^3$ ha??

b) Amount of land needed to grow the chicken feed for a typical person's annual protein supply = 0.06 ha

8a – from line 4c, OLT needs $6.13 * 10^6$ pounds/yr of chicken. Thus twice that number of pounds of wheat are needed for chicken feed each year, or $12.26 * 10^6 \text{ lb wheat/yr}$. The land needed to grow it is given by $(12.26 * 10^6 \text{ lb/yr})$ divided by this quantity $[(2.2 \text{ lb/kg}) * (2200 \text{ kg/ha})]$ gives $2.53 * 10^3 \text{ ha}$.

At this point think about this. The part we eat isn't all there is. The chicken once also consisted of a head, feet, feathers, bones, innards, etc. It had to eat to grow those parts. Let's guess that half the chicken is edible, and that it had to eat as much to grow the inedible parts as to grow the edible parts. That doubles the amount of land needed for chicken feed to $5.06 * 10^3 \text{ ha}$.

8b – Land needed to grow the chicken feed for a typical person is 5.06×10^3 ha / 8.78×10^4 persons = 0.06 ha.

9) YOUR ECOLOGICAL FOOTPRINT! (the food part of it, at least) (assumes you are a typical person ...ha ha ... bwa ha ha ...)

- a) How much land is needed in permanent reserve somewhere to provide you with food?

*** 0.16 ha = 0.40 acres

- b) Make it visual. Draw a sketch that gives some idea of how big your permanent food reserve is.

9a – land needed to support one OLT person is line 8a + 8b or $0.06 + 0.10$ ha = 0.16 ha
That is about 0.16 ha \times 2.47 acres/ha = 0.40 acres = not quite half an acre.

9b ... over to you, get creative!