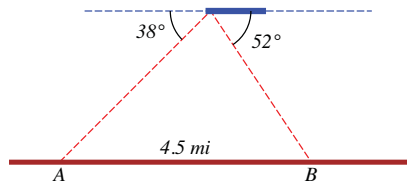


**Math Problem Set 6****Name: Neal Nelson**[Show Scored View](#)

#1 Points possible: 1. Total attempts: 2

A pilot is flying over a straight highway. He determines the angles of depression to two mileposts, 4.5 mi apart, to be  $38^\circ$  and  $52^\circ$ , as shown in the figure.



*NOTE: The picture is NOT drawn to scale.*

Find the distance of the plane from point  $A$ .

distance from  $A$  = \_\_\_\_\_ mi

Find the elevation of the plane.

height = \_\_\_\_\_ mi

*Enter your answer as a number; your answer should be accurate to 2 decimal places.*

3.546

2.183

#2 Points possible: 1. Total attempts: 2

A pilot flies in a straight path for 1 h 30 min. She then makes a course correction, heading 10 degrees to the right of her original course, and flies 2 h in the new direction. If she maintains a constant speed of 625 mi/h, how far is she from her starting position?

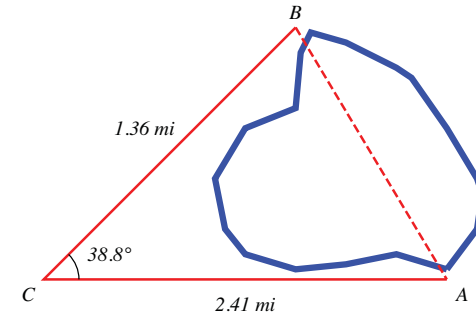
Your answer is \_\_\_\_\_ mi;

Enter your answer rounded to two decimal places.

2179.35

#3 Points possible: 1. Total attempts: 2

To find the distance across a small lake, a surveyor has taken the measurements shown. Find the distance across the lake using this information.



*NOTE: The triangle is NOT drawn to scale.*

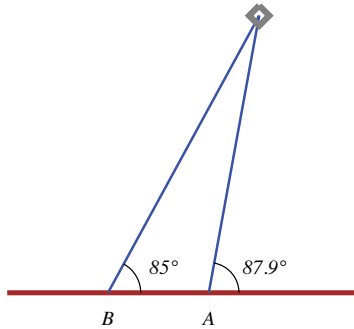
distance = \_\_\_\_\_

*Enter your answer as a number; your answer should be accurate to 2 decimal places.*

1.597

#4 Points possible: 1. Total attempts: 2

The path of a satellite orbiting the earth causes it to pass directly over two tracking stations  $A$  and  $B$ , which are 52 mi apart. When the satellite is on one side of the two stations, the angles of elevation at  $A$  and  $B$  are measured to be  $87.9^\circ$  and  $85^\circ$ , respectively.



*NOTE: The picture is NOT drawn to scale.*

How far is the satellite from station A?

distance from  $A$  = \_\_\_\_\_ mi

How high is the satellite above the ground?

height = \_\_\_\_\_ mi

*Enter your answer as a number; your answer should be accurate to 2 decimal places.*

1023.9

1023.212

#5 Points possible: 1. Total attempts: 2

To estimate the height of a building, two students find the angle of elevation from a point (at ground level) down the street from the building to the top of the building is  $36^\circ$ . From a point that is 150 feet closer to the building, the angle of elevation (at ground level) to the top of the building is  $59^\circ$ . If we assume that the street is level, use this information to estimate the height of the building.

The height of the building is \_\_\_\_\_ feet.

193.42

#6 Points possible: 1. Total attempts: 2

The four sequential sides of a quadrilateral have lengths  $a = 4.4$ ,  $b = 7.7$ ,  $c = 9.1$ , and  $d = 10.4$  (all measured in yards). The angle between the two smallest sides is  $\alpha = 94^\circ$ .

What is the area of this figure?

area = \_\_\_\_\_ yd<sup>2</sup>

55.83

#7 Points possible: 1. Total attempts: 2

Convert the polar coordinate  $\left(7, \frac{\pi}{3}\right)$  to Cartesian coordinates.

Enter exact values.

$x$  = \_\_\_\_\_

$y$  = \_\_\_\_\_

3.5

6.0621778264911

#8 Points possible: 1. Total attempts: 2

Convert the Cartesian coordinate  $(-5, -4)$  to polar coordinates,  $0 \leq \theta < 2\pi$

$r$  = \_\_\_\_\_

Enter exact value.

$\theta$  = \_\_\_\_\_

6.4031242374328

3.8163335958133

#9 Points possible: 1. Total attempts: 2

Rewrite the polar equation  $r = 6 \sin(\theta)$  as a Cartesian **equation**.

\_\_\_\_\_

$x^2 + y^2 = 6 \cdot y$

#10 Points possible: 1. Total attempts: 2

Rewrite the Cartesian equation  $y = 3x^2$  as a polar equation. $r(\theta) =$  \_\_\_\_\_Enter **theta** for  $\theta$  if needed.

$$\frac{\sin(\theta)}{3 \cdot (\cos(\theta))^2}$$


---

#11 Points possible: 1. Total attempts: 2

An airplane is heading north at an airspeed of 700 km/hr, but there is a wind blowing from the northeast at 40 km/hr.

The plane will end up flying \_\_\_\_\_ degrees off course

The plane's speed relative to the ground will be \_\_\_\_\_ km/hr

2.41

672.31

#12 Points possible: 1. Total attempts: 2

An airplane needs to head due north, but there is a wind blowing from the northeast at 40 km/hr. The plane flies at an airspeed of 650 km/hr,

To end up due north, the pilot will need to fly the plane \_\_\_\_\_ degrees east of north

2.49

#13 Points possible: 1. Total attempts: 2

Given the parametric equations below, eliminate the parameter  $t$  to obtain an equation for  $y$  as a function of  $x$ 

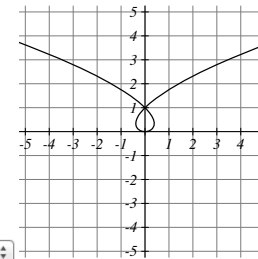
$$\begin{cases} x(t) = 6\sqrt{t} \\ y(t) = 5t + 2 \end{cases}$$

 $y(x) =$  \_\_\_\_\_

$$5\left(\frac{x}{6}\right)^2 + 2$$


---

#14

Match equation graph with its parametric equation. Not all equations will be used. All graphs shown for  $-5 \leq t \leq 5$ . You may use a graphing calculator or Desmos.

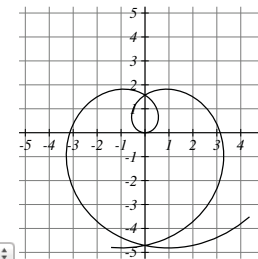
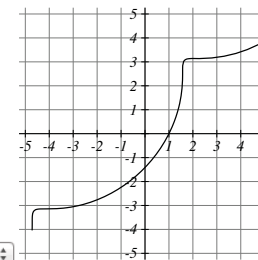
a. 
$$\begin{cases} x(t) = e^t \\ y(t) = t^2 \end{cases}$$

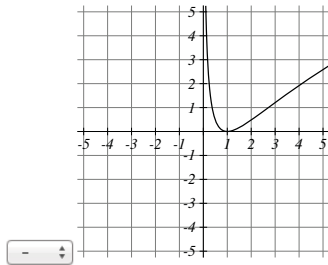
b. 
$$\begin{cases} x(t) = t + \cos(t) \\ y(t) = t + \sin(t) \end{cases}$$

c. 
$$\begin{cases} x(t) = t^3 - t \\ y(t) = t^2 \end{cases}$$

d. 
$$\begin{cases} x(t) = t \cos(t) \\ y(t) = t \sin(t) \end{cases}$$

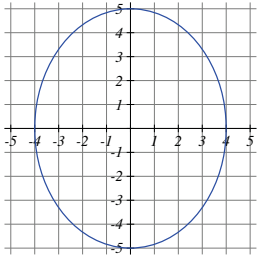
e. 
$$\begin{cases} x(t) = t^3 \\ y(t) = t^2 \end{cases}$$





c b d a

#15 Points possible: 1. Total attempts: 2



The graph below can be represented by parametric equations of the form

$$\begin{cases} x(t) = a \cos(t) \\ y(t) = b \sin(t) \end{cases}$$

Where  $a =$  \_\_\_\_ and  $b =$  \_\_\_\_ . You may use a graphing calculator or Desmos.4  
5

#16 Points possible: 1. Total attempts: 2

The ellipse  $\frac{x^2}{6^2} + \frac{y^2}{7^2} = 1$  can be drawn with parametric equations where  $x(t)$  is written in the form

$x(t) = r \cos(t)$  with  $r =$  \_\_\_\_

and  $y(t) =$  \_\_\_\_\_

6

$7 \cdot \sin(t)$